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A CRITICAL STUDY ON NUCLIE

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A Critical Study on Nuclie

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Abstract – The study of nuclear properties shows evidence of nuclear shells analogous to those observed in the atoms. One clear piece of evidence in the nuclear case is the sharp discontinuity in nucleon separation energies for certain numbers of N (neutron number) and Z (proton number), known as magic numbers. In the case of the electronic shells in atoms the picture is very clear, since there is a central Coulomb potential, due to the charge carried by the nucleus and electrons.

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INTRODUCTION

In the case of the nucleus there is no such external potential but the nucleons move in the potential created by them. This potential contains many terms: central, spin-orbit, tensor, spin - spin, etc. At long distances it has a Yukawa form, while at short distances it shows an extremely repulsive core. The idea of a shell model for the nucleus may seem contradictory with these strong correlations because this rudely breaks the independent particle picture.

We shall consider the nucleus as composed of Z protons and N neutrons, that interact via two-body forces and obey the Schrodinger equation, the general time independent form of which is

$$(-\hbar^2 \Delta^2 / 2m + V) |\psi\rangle = E |\psi\rangle$$

where V is the potential and $|\psi\rangle$ is the wave function with an associated energy E. The experimental idea of magic numbers led M. Goeppert-Mayer and H. Jensen to the construction of the nuclear mean field, a harmonic oscillator, whose main novelty was the very strong spin-orbit splitting needed to explain the experimental magic numbers. This idea originates from atomic physics in which the magnetic moment of an electron interacts with a magnetic field generated by its motion around the nucleus.

$$V(r) = \frac{1}{2} m \omega^2 r^2 + D I^2 - C I \cdot s$$

where $\frac{1}{2} m \omega^2 r^2$ is the kinetic energy of an harmonic oscillator with frequency ω and mass m, I is the orbital angular momentum operator, s is the spin operator, D and C are constants to fit and where,

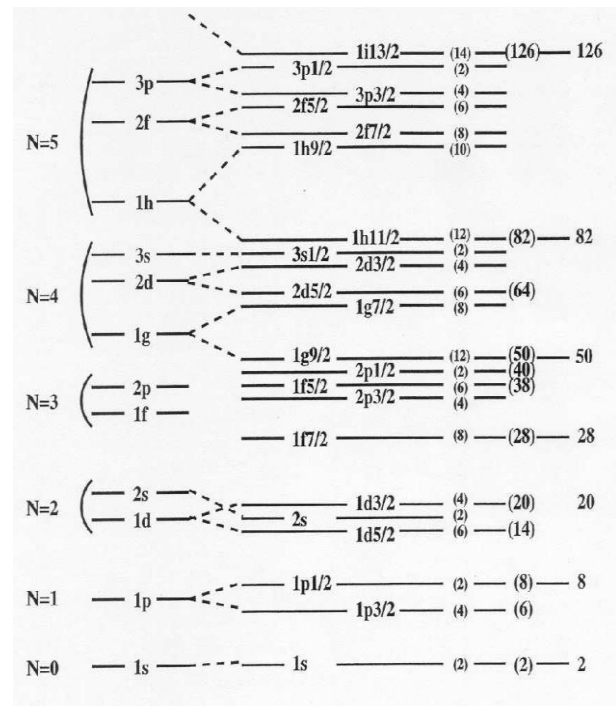
$$I \cdot s = -\frac{1}{2} (j^2 - I^2 - s^2) = -\frac{1}{2} (j(j+1) - I(I+1) - \frac{3}{4})$$

$$= I + \frac{1}{2} \text{ for } j = I + \frac{1}{2}$$

$$= -I - \frac{1}{2} \text{ for } j = I - \frac{1}{2}$$

The single-particle levels of the nuclear mean field are represented in Fig. The left-hand side shows the shell structure of the isotropic harmonic oscillator, then the splitting due to the l2 term and finally the single-particle levels taking into account the spin-orbit splitting. To the right are the predicted magic numbers. Therefore, due to the l.s term in the potential, the total degeneracy becomes (2j+1). This means that, for example, a 1p level, with a total degeneracy of $2(2l+1) = 6$, will split into two levels according to Equation 1.3, 1p1/2 and 1p3/2 with degeneracy's 2 and 4 respectively.

For a given nucleus (N,Z) the mean field dictates which levels are occupied (those below the Fermi level) and which are empty (those above). However, these



states can be close enough in energy or have a structure such that the residual twobody interaction

can mix them to produce correlated states. Therefore, the infinite set of mean-field orbits will be divided in three parts:

i) Inert core: the orbits that are forced to be always full. Imagine that the core consists of N_c neutrons and Z_c protons, thus if we are studying a nucleus (N, Z) there will remain $n_v = N - N_c$ valence neutrons and $z_v = Z - Z_c$ valence protons.

ii) Valence space: the orbits available to the valence particles, that will be partially occupied by them according to the effective interaction.

iii) External space: the remaining orbits that are always empty.

OBJECTIVES OF THE STUDY

In a binary reaction, the γ rays detected in each event can come from one or both of the fragments and a priori, there is no way to assign a γ ray to a specific fragment. In the case of prompt γ rays it is possible to distinguish whether the γ ray comes from TLFs or BLFs. Therefore it is possible to study the distribution of the binary partners using delayed-prompt coincidences. An isomer in one of the binary partners and prompt feeding in the other is needed, a situation which is quite likely for the region of nuclei populated in the reaction studied. Here the way to proceed is to gate on delayed γ -ray transitions from well-known isomers and project the prompt γ rays from the binary fragment. For this purpose a delayed-prompt matrix was produced, where the prompt γ rays are Doppler corrected for TLFs.

REVIEW OF LITERATURE:

The spherical shell model does not describe well those nuclei far from closed shells. For these regions a deformed potential has to be assumed. The assumption of a deformation is able to explain some experimental facts such as rotational bands and very large quadrupole moments.

The nuclear surface of a non-spherical nucleus can be mathematically described by

$$R(\theta, \varphi) = R_0 \left(1 + \sum_{\lambda} \sum_{\mu} Y_{\lambda\mu}(\theta, \varphi) \right)$$

where $\alpha_{\lambda\mu}$ are the coefficients of the spherical harmonics $Y_{\lambda\mu}(\theta, \varphi)$. The terms with $\lambda = 1$ are not included since they correspond to a translation of the centre of mass. R_0 is the average radius. For axially symmetric nuclei (independent of φ) the radius is defined,

$$R(\theta) = R_0 \left(1 + \beta_2 Y_{20}(\theta) \right)$$

where the deformation parameter $\beta_2 = \alpha_{20}$. If $\beta_2 < 0$ the nuclear shape is called oblate ("spaceship" shaped), if $\beta_2 > 0$ the nuclear shape is called prolate ("cigar" shaped), if $\beta_2 = 0$ then the nucleus is

spherical. The larger the value of β_2 , the more deformed the nucleus.

The nuclei can be axially asymmetric ($\lambda = 2$), in this case a new deformation parameter γ enters into the description of the nuclear shape, where the γ deformation is related to the $\alpha_{\lambda\mu}$ coefficients as follows

$$\alpha_{20} = \beta_2 \cos \gamma$$

The γ deformation goes from 0° to 60° corresponding to prolate and oblate shapes respectively. A completely tri-axial nucleus has a $\gamma = 30^\circ$.

NEED OF THE STUDY

The different nuclear interactions between heavy ions can be, broadly speaking, divided into three main categories, depending on the energy involved in the interaction. Nevertheless, a nuclear reaction is determined in addition to the centre-of-mass energy by the impact parameter b and the nature of the projectile and target.

For low energy reactions (1-10 MeV/A) fusion evaporation type reactions might happen. These reactions occur at small values of the impact parameter and the projectile and target stay together for enough time (from 10^{-18} s to 10^{-16} s) to form a hot compound nucleus. In this case the resulting nuclei can be formed in a high spin state, thus allowing the nuclear spectroscopy of nuclear states at extremes of angular momentum. As the beam energy increases the reactions become more peripheral and the reaction times are much faster, $\sim 10^{-22}$ s, and the impact parameter is extended compared to fusion-evaporation reactions. Nucleon transfer or deep inelastic reactions (DIC) can occur in which a few nucleons are transferred but the beam and target retain their original character.

RESEARCH METHODOLOGY

A prototype, highly segmented, coaxial hyper-pure n type germanium detector has been constructed by EURISYS measures (EGC 60-90 SEG36), with the aim of testing the applicability of γ -ray tracking and ultimately improving the sensitivity of nuclear spectroscopic studies. The crystal has an external diameter of 60 mm and the length is 90 mm. The outer p-type ion-implanted contact of the crystal is segmented into 6 segments in both the longitudinal and radial direction, the disks are 15 mm long. The inner contact is n+ lithium diffused. This inner contact is not segmented and can be used to provide a total energy signal for the full crystal. The impurities are not homogeneously distributed, $0.67 \cdot 10^{10}$ at/cm³ at the top coaxial part and $2.4 \cdot 10^{10}$ at/cm³ at the closed end part. A schematic labelled view of the detector is shown in Fig. The cryostat has 3.0 litre capacity and it keeps the crystal at Liquid Ni temperature for 36 hours.

The outer contact is grounded, each segment goes to ground through a DC coupled preamplifier, while the inner contact is positive polarized at 3500 V. The energy signal is collected through an AC coupled preamplifier. The signals from the

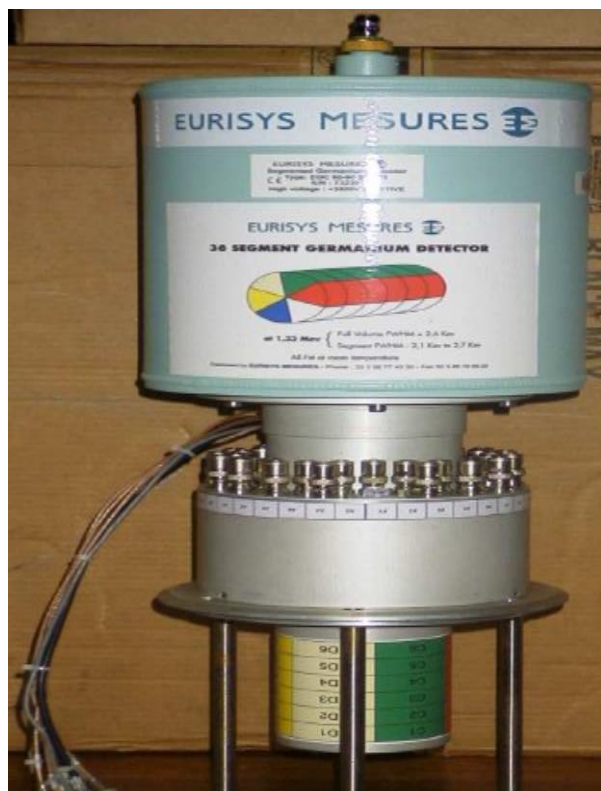


Figure : EURISYS measures (EGC 60-90 SEG36) prototype.

The signal from the preamplifiers goes into a cM62 module where 3 AD40 (Very- High-Speed Data Acquisition Module) are attached to it. The AD40 module has two channels for signal digitation. These modules have been provided by OMNIBUS. Each of the cM62 modules, with only one DSP (Digital Signal Processor), comprises six channels for pulse signal digitalisation. The boards are controlled by a host computer. In the schematic block diagram A.3 two channels are shown. After passing through a Low Distortion Input Amplifier, the signal is digitised by a 12 bit, 40 MHz ADC and the digitised signal is sent to a FIFO (First In First Out), circular buffer. The signal from the inner contact is used as external trigger. A second computer allows on-line analysis using MIDAS.

SCOPE OF THE STUDY

The heaviest β -stable platinum isotope, ^{198}Pt , was used as a target for the reaction studied in this thesis to populate neutron-rich nuclei around mass 190. This nucleus was studied looking at both in-beam and out-of-beam γ - γ coincidences. The former allowed the study of the highest spins populated and the latter allowed the identification of a new high spin isomer.

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